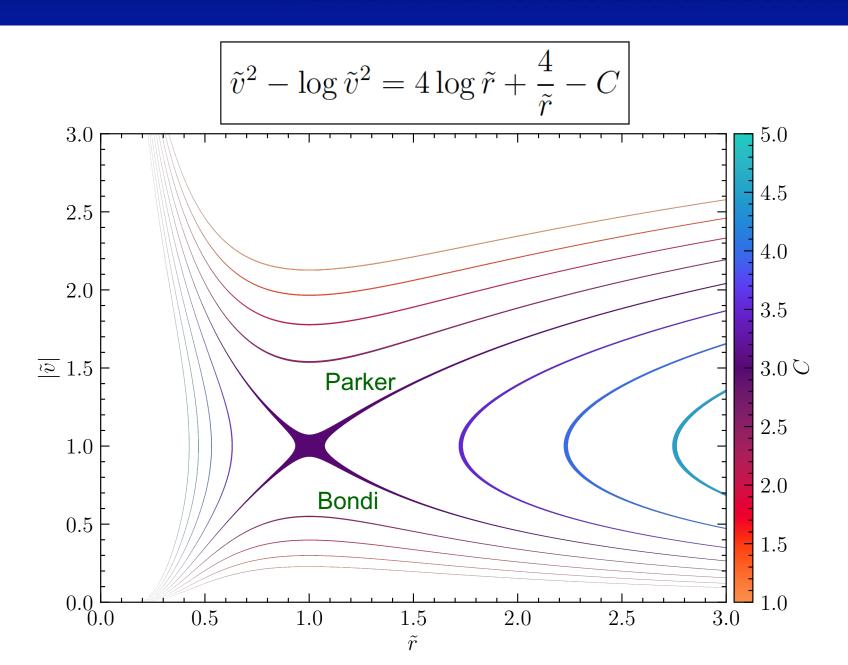
TODAY:

- Python (RSAA computer account)
- Bondi accretion, Bondi-Hoyle accretion, Shu accretion rate (→ recap)
- Steepening of sound waves → shocks (Rankine-Hugoniot conditions)
- Propagation of a 1-dimensional (1D) shock front

TODAY:

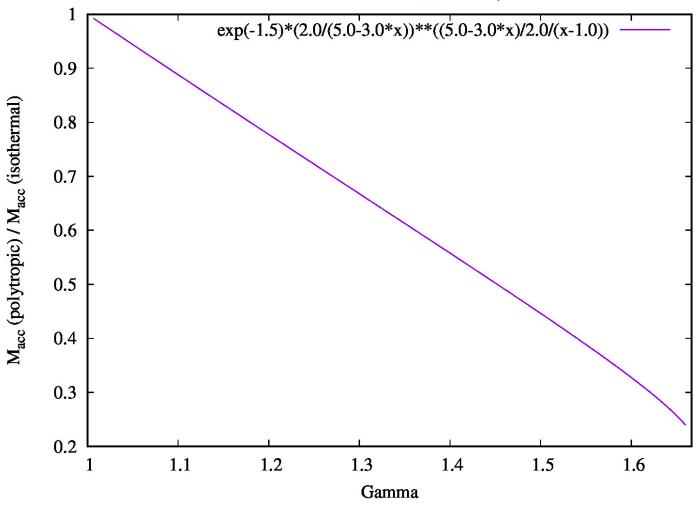
- Bondi accretion, Bondi-Hoyle accretion, Shu accretion rate (→ recap)
 - Steepening of sound waves → shocks (Rankine-Hugoniot conditions).
 - Propagation of a 1-dimensional (1D) shock front

Parker wind versus Bondi accretion



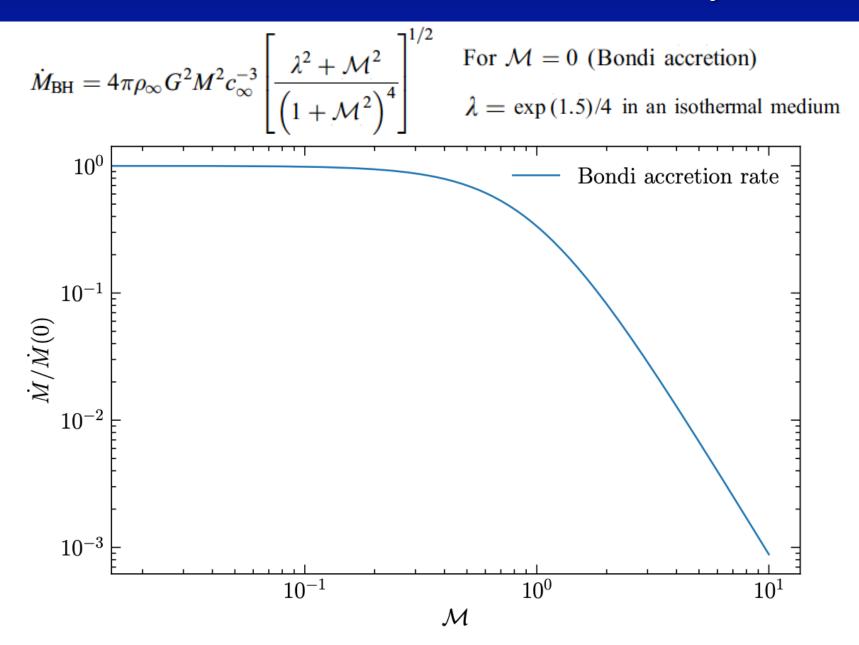
Bondi accretion (influence of the EOS)

Bondi accretion rate for isothermal versus adiabatic gas (Polytropic EOS: $P_{\rm th} = K \rho^{\Gamma}$)

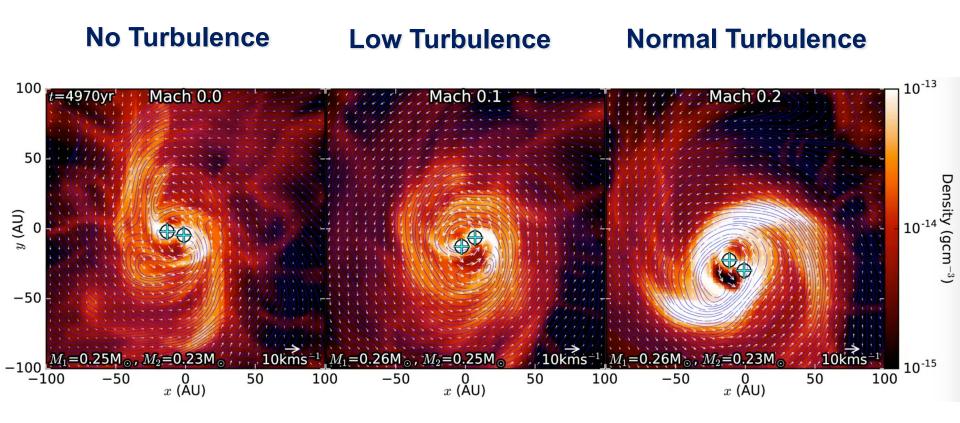


Why is the accretion rate higher for lower Gamma?

Bondi-Hoyle accretion



Build-up of circum-binary discs



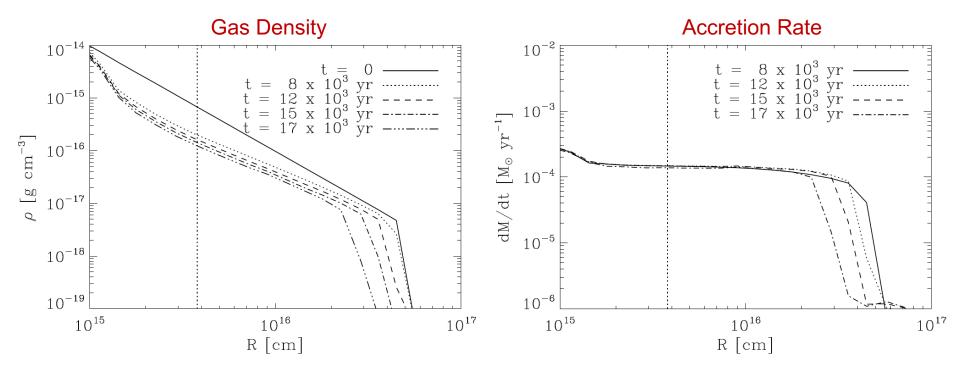
Movies available: https://www.mso.anu.edu.au/~chfeder/pubs/binary_turb/binary_turb.html

Turbulence makes bigger discs → relevant for planet formation

Shu accretion rate

Collapse of a singular isothermal gas sphere

Accretion rate:
$$\dot{M}=m_0\,\frac{c_{
m s}^3}{G}$$
 (Shu 1977)

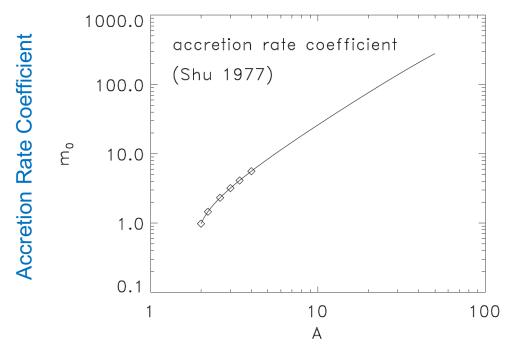


Collapse of a singular isothermal gas sphere

Shu (1977)

$$\dot{M} = m_0 \frac{c_s^3}{G}$$
 with $m_0 = 0.975$ would give $m_0 c_s^3 / G = 1.06 \times 10^{-6} M_{\odot} \,\mathrm{yr}^{-1}$

...but here, the gas cloud is highly unstable!



With A = 29, we get $m_0 \sim 130$, which gives exactly the correct accretion rate.

Conclusion: Beware, m_0 is not necessarily 1. And hence c_s^3/G may be way off!

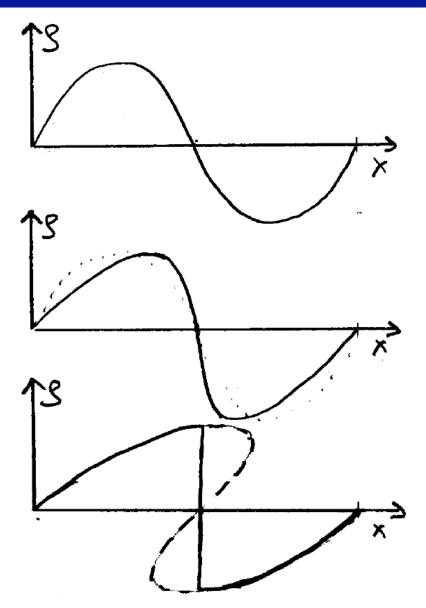
Instability parameter $A=4\pi G\,\rho(R)\,R^2/c_{\rm s}^2$

TODAY:

- Bondi accretion, Bondi-Hoyle accretion, Shu accretion rate (→ recap)
- Steepening of sound waves → shocks (Rankine-Hugoniot conditions)
 - Propagation of a 1-dimensional (1D) shock front



Sound waves → Shock waves



Polytropic gas EOS:

$$P \propto \rho^{\Gamma}$$

Sound speed:

$$c_{
m s} \propto
ho^{(\Gamma-1)/2}$$

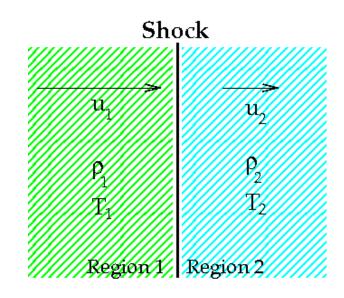
Sound propagates faster in denser regions...

→ Steepening → Shock

Steepening of a sound wave (Klessen lecture notes on Theoretical Astrophysics)

IDL program to solve 1D hydro equations:

- IDL> .r hydro_1d
- IDL> hydro_test
- IDL> shocktube_test



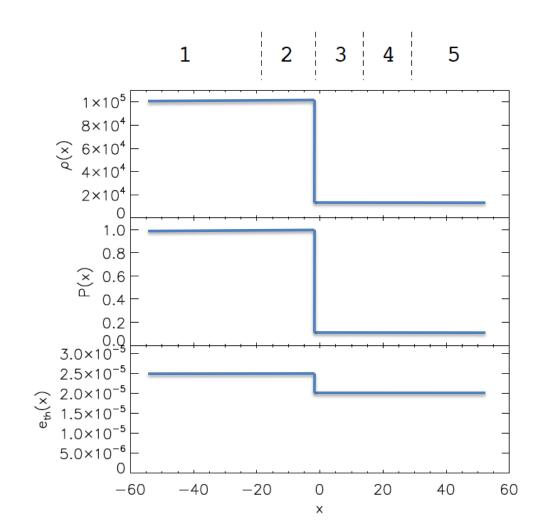
→ Now let's derive the Rankine-Hugoniot shock jump conditions.

You can use IDL (Interactive Data Language) yourself, e.g., on motley.anu.edu.au:

- First connect to miasma > ssh -Y username@msossh1.anu.edu.au
- Then to motley > ssh -Y username@motley.anu.edu.au
- You will need to copy (scp) the hydro_1d.pro to miasma/motley
- Finally, to start IDL type > idl

shocktube_test

Sod shocktube test: $\rho_l=10^5, P_l=1$ $\rho_r=1.25\times 10^4$ and $P_r=0.1$ (Sod 1978)



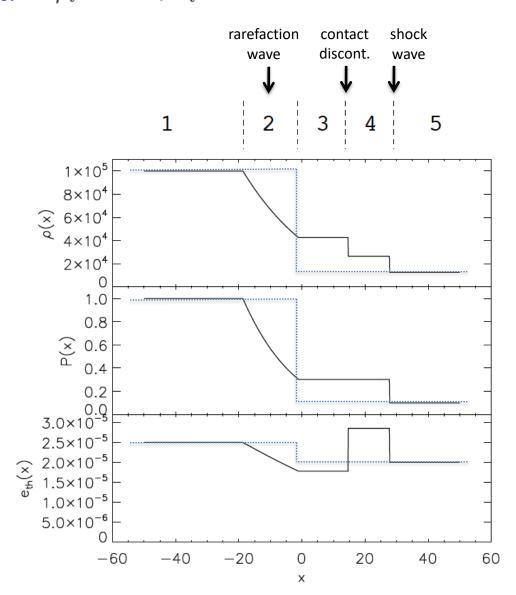
shocktube_test

Sod shocktube test: $\rho_l = 10^5, P_l = 1$

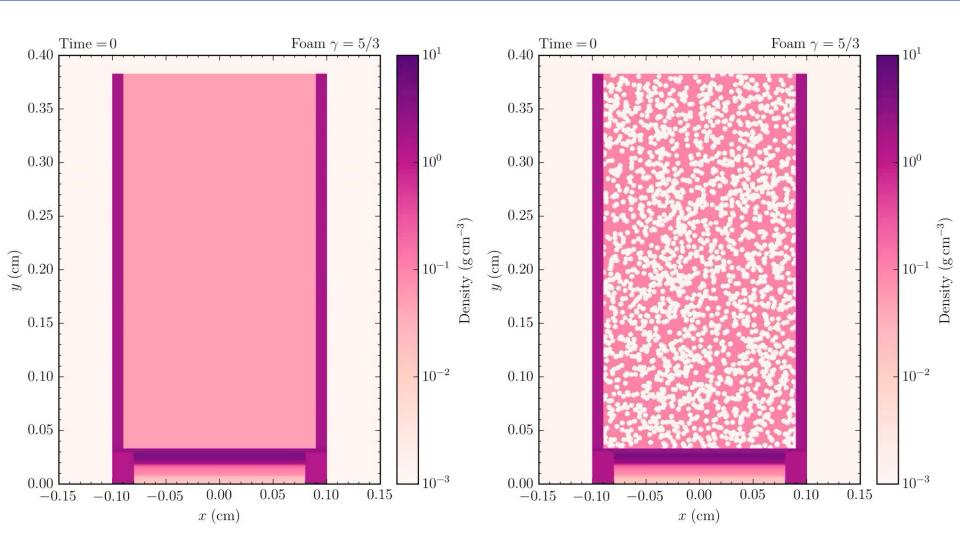
$$\rho_l = 10^5, P_l = 1$$

$$\rho_r = 1.25 \times 10^4 \text{ and } P_r = 0.1$$

(Sod 1978)



Astrophysical Gas Dynamics - Shocks

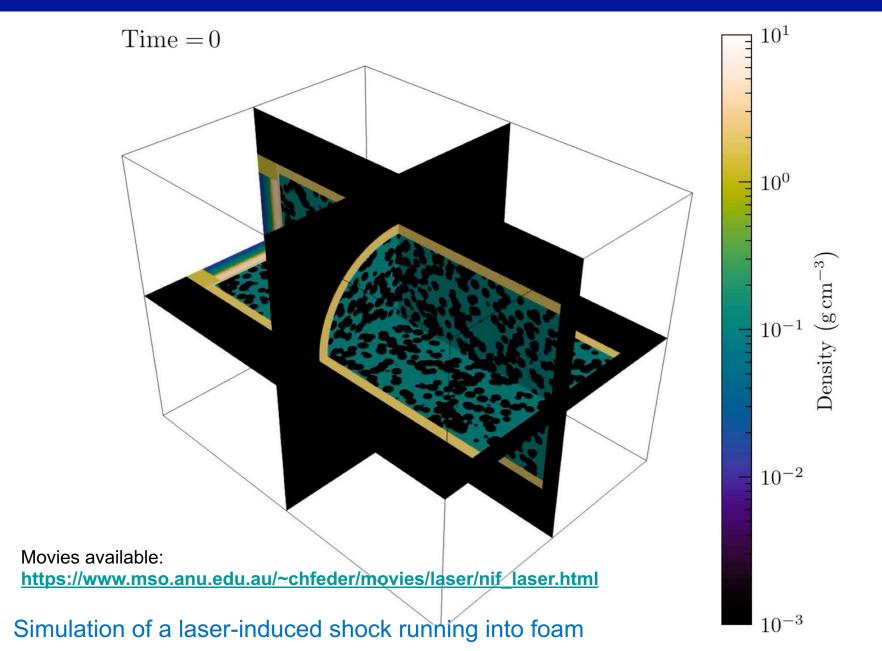


Movies available: https://www.mso.anu.edu.au/~chfeder/movies/laser/nif_laser.html

Simulation of a laser-induced shock running into foam

(Dhawalikar et al. 2022)

Astrophysical Gas Dynamics - Shocks



NEXT TIME:

- Propagation of a 1-dimensional (1D) shock front