
Massive Star Formation

Christoph Federrath

Canberra – 08 May 2018



Australian Government
Australian Research Council



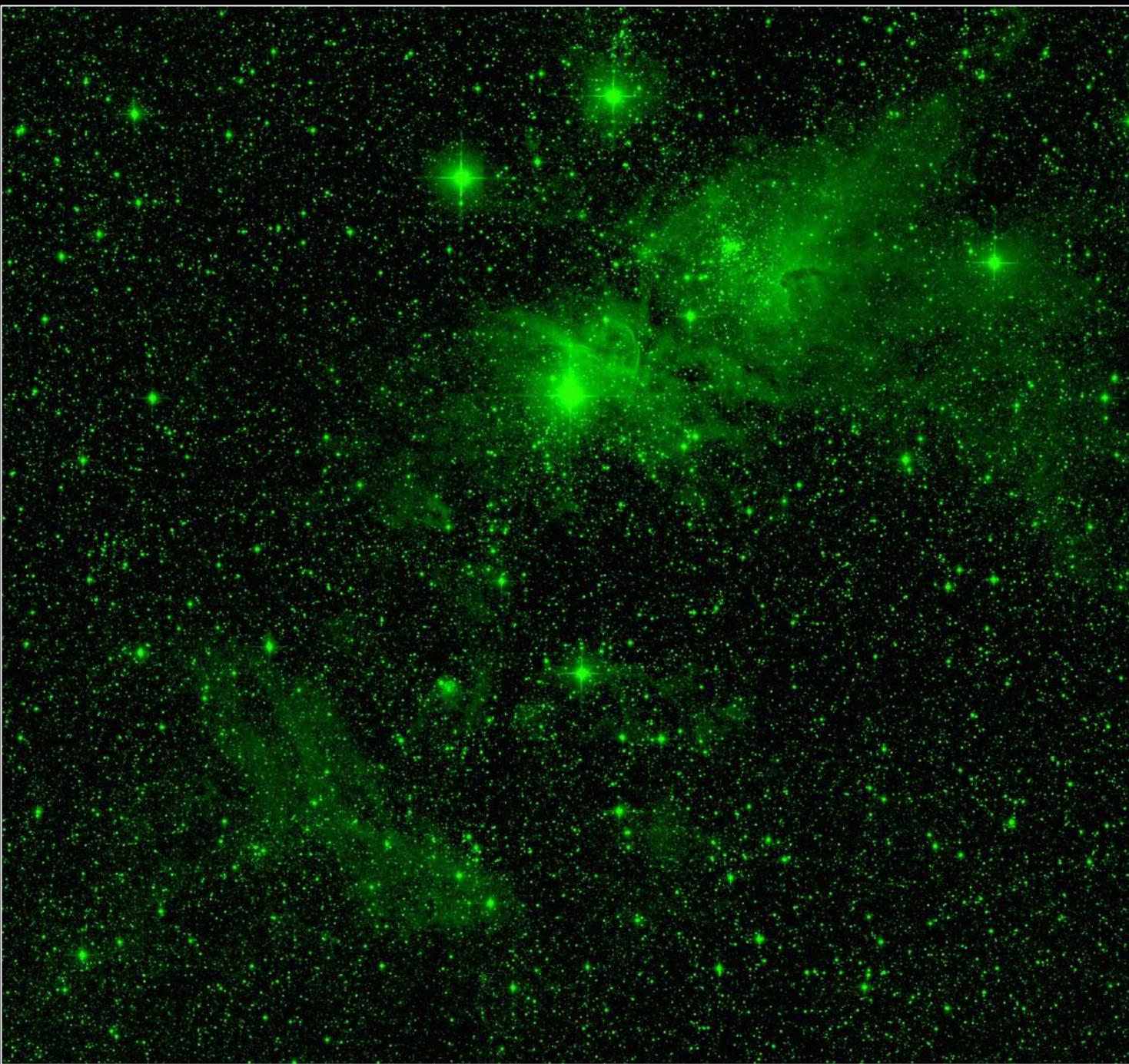
Australian
National
University

The Great Nebula in Carina

Visible Light
Digitized Sky Survey

Dark regions within
the **Visible** nebula
are obscured by
dust.

New Massive Stars
Found Hiding in
Famous Nebula
M. S. Povich



The Great Nebula in Carina

Near-Infrared

Two-Micron All-Sky Survey

Near-infrared light
passes through the
dust, revealing more
stars.

New Massive Stars
Found Hiding in
Famous Nebula

M. S. Povich

The Great Nebula in Carina

Mid-Infrared

Spitzer Space Telescope

The dust clouds
themselves glow in
mid-infrared light.

New Massive Stars
Found Hiding in
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M. S. Povich

The Great Nebula in Carina

Visible Light
Digitized Sky Survey

Near-Infrared
Two-Micron All-Sky Survey

Mid-Infrared
Spitzer Space Telescope



New Massive Stars
Found Hiding in
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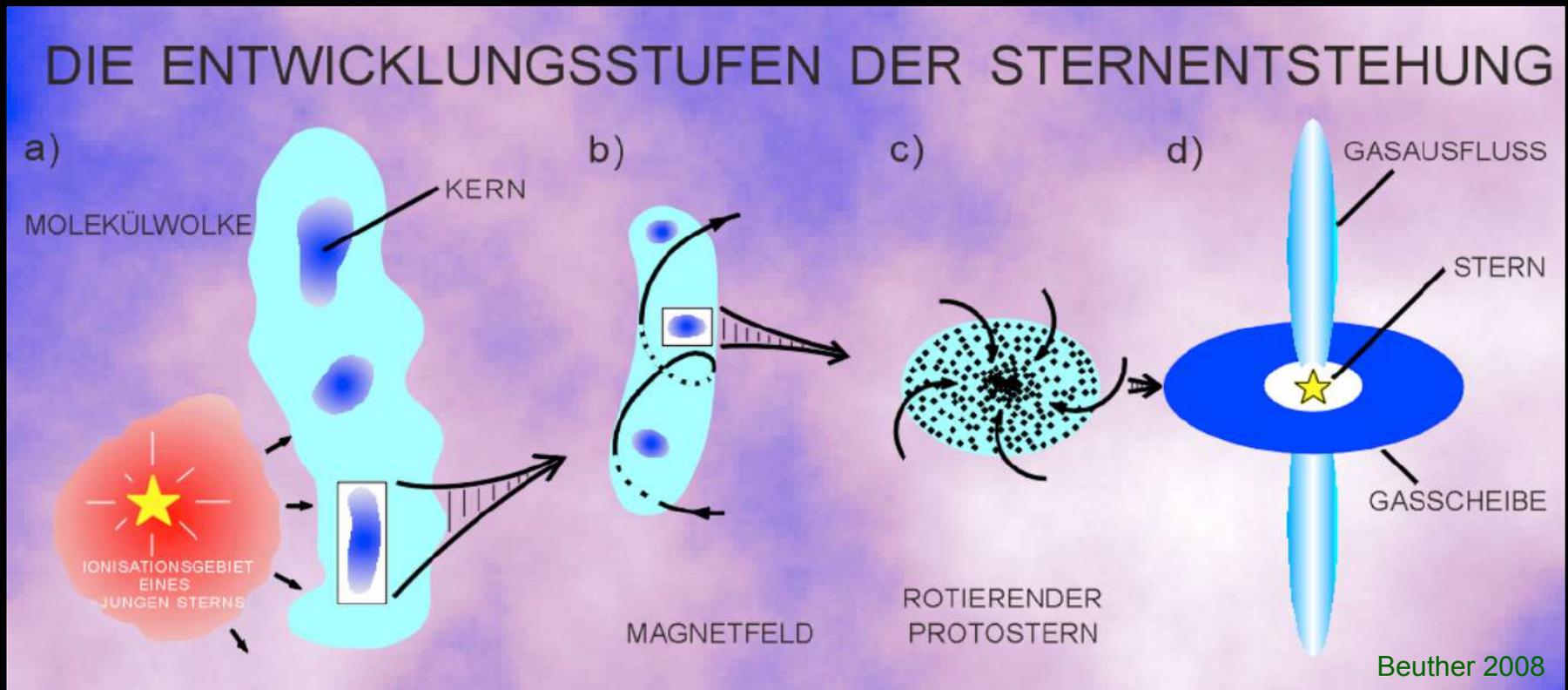
M. S. Povich

Turbulence → **Stars** → **Feedback**



The Star Formation Paradigm

Clouds → Cores → Disk + Star + Jet / Outflow



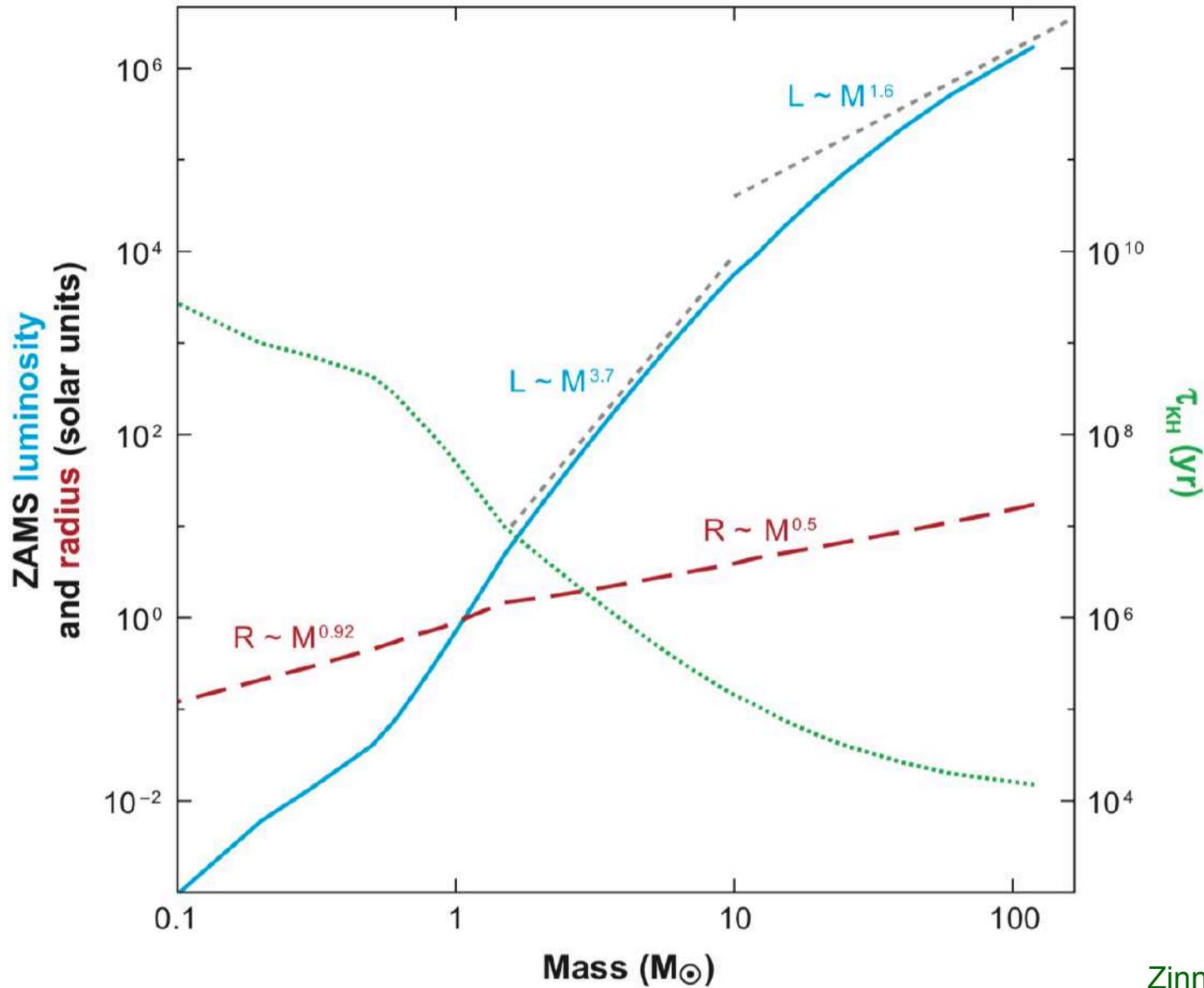
Literature:

- Zinnecker & Yorke (2007, Annual Reviews of Astronomy and Astrophysics)
- Tan et al. (2014, Protostars & Planets VI)

Table 1 Main-sequence massive star definition (logarithmic mass ranges)

| Mass | Designation | Sp. type |
|--------------------|----------------------------|-------------------------|
| 8–16 M_{\odot} | Early B-type massive stars | B3V to B0V |
| 16–32 M_{\odot} | Late O-type massive stars | O9V to O6V |
| 32–64 M_{\odot} | Early O-type massive stars | O5V to O2V ^a |
| 64–128 M_{\odot} | O/WR-type massive stars | WNL-H ^b |

Massive Star Formation



Zinnecker & Yorke (2007)
Annu. Rev. Astron. Astrophys.

Figure 2

Hubble Space Telescope optical/IR image of the dense massive young cluster R136/30Dor (courtesy of M.J. McCaughrean; FOV ~ 30 arcsec \times 30 arcsec or 7.5 pc \times 7.5 pc). Dozens of massive O stars are found crowded within the half-light radius of 2 pc (Brandl et al. 1996). (a) A VLT image of NGC 3603 (Brandl et al. 1999) and (b) a VLT image of the Trapezium Cluster in Orion (McCaughrean 2001) are shown as these two galactic clusters would be seen if they were located at the distance of R136 in the Large Magellanic Cloud (50 kpc) and imaged with similar angular resolution (see Zinnecker 2002).



Zinnecker & Yorke (2007)
Annu. Rev. Astron. Astrophys.

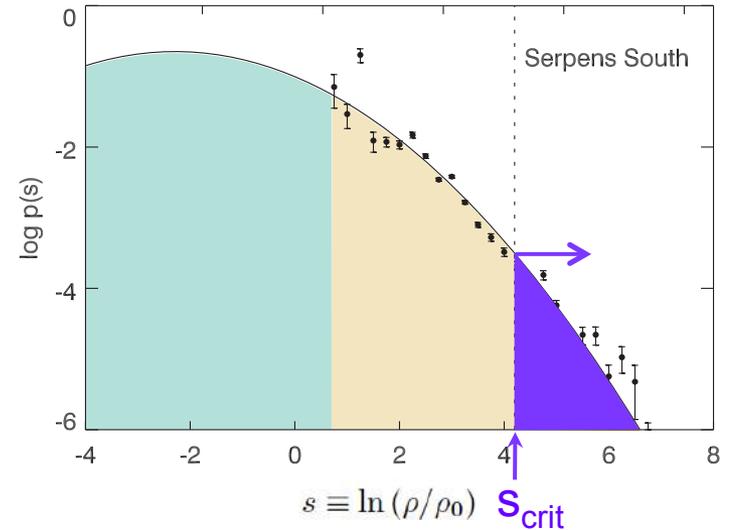
Why care about the virial parameter?

Statistical Theory for the Star Formation Rate:

SFR \sim Mass/time

freefall time mass fraction

$$\text{SFR}_{\text{ff}} = \epsilon \int_{s_{\text{crit}}}^{\infty} \frac{t_{\text{ff}}(\rho_0)}{t_{\text{ff}}(\rho)} \frac{\rho}{\rho_0} p(s) ds$$



Hennebelle & Chabrier (2011) : “multi-freefall model”

Why care about the virial parameter?

Statistical Theory for the Star Formation Rate:

SFR ~ Mass/time

freefall time fraction

$$\begin{aligned} \text{SFR}_{\text{ff}} &= \epsilon \int_{s_{\text{crit}}}^{\infty} \overbrace{\frac{t_{\text{ff}}(\rho_0)}{t_{\text{ff}}(\rho)}}^{\text{freefall time}} \overbrace{\frac{\rho}{\rho_0}}^{\text{mass fraction}} p(s) \, ds = \epsilon \int_{s_{\text{crit}}}^{\infty} \exp\left(\frac{3}{2}s\right) p(s) \, ds \\ &= \frac{\epsilon}{2} \exp\left(\frac{3}{8}\sigma_s^2\right) \left[1 + \text{erf}\left(\frac{\sigma_s^2 - s_{\text{crit}}}{\sqrt{2}\sigma_s^2}\right) \right] \end{aligned}$$

$$p(s) = \frac{1}{\sqrt{2\pi\sigma_s^2}} \exp\left(-\frac{(s - s_0)^2}{2\sigma_s^2}\right)$$

$$s = \ln(\rho/\rho_0) \quad t_{\text{ff}}(\rho) = \left(\frac{3\pi}{32G\rho}\right)^{1/2}$$

Hennebelle & Chabrier (2011) : “multi-freefall model”

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Statistical Theory for the Star Formation Rate:

SFR ~ Mass/time

freefall time fraction

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Hennebelle & Chabrier (2011) : “multi-freefall model”

From sonic and Jeans scales:

$$s_{\text{crit}} \propto \ln(\alpha_{\text{vir}} \mathcal{M}^2)$$

(Krumholz & McKee 2005, Padoan & Nordlund 2011)

$$\text{SFR}_{\text{ff}} = \text{SFR}_{\text{ff}}(\alpha_{\text{vir}}, b, \mathcal{M})$$

$$\sigma_s^2 = \ln(1 + b^2 \mathcal{M}^2)$$

(e.g., Federrath et al. 2008)

$2 E_{\text{kin}}/E_{\text{grav}}$

forcing

Mach number

Federrath & Klessen (2012)

Why care about the virial parameter?

$$\text{SFR}_{\text{ff}} = \text{SFR}_{\text{ff}} (\alpha_{\text{vir}}, b, \mathcal{M})$$

$$2E_{\text{kin}}/E_{\text{grav}}$$

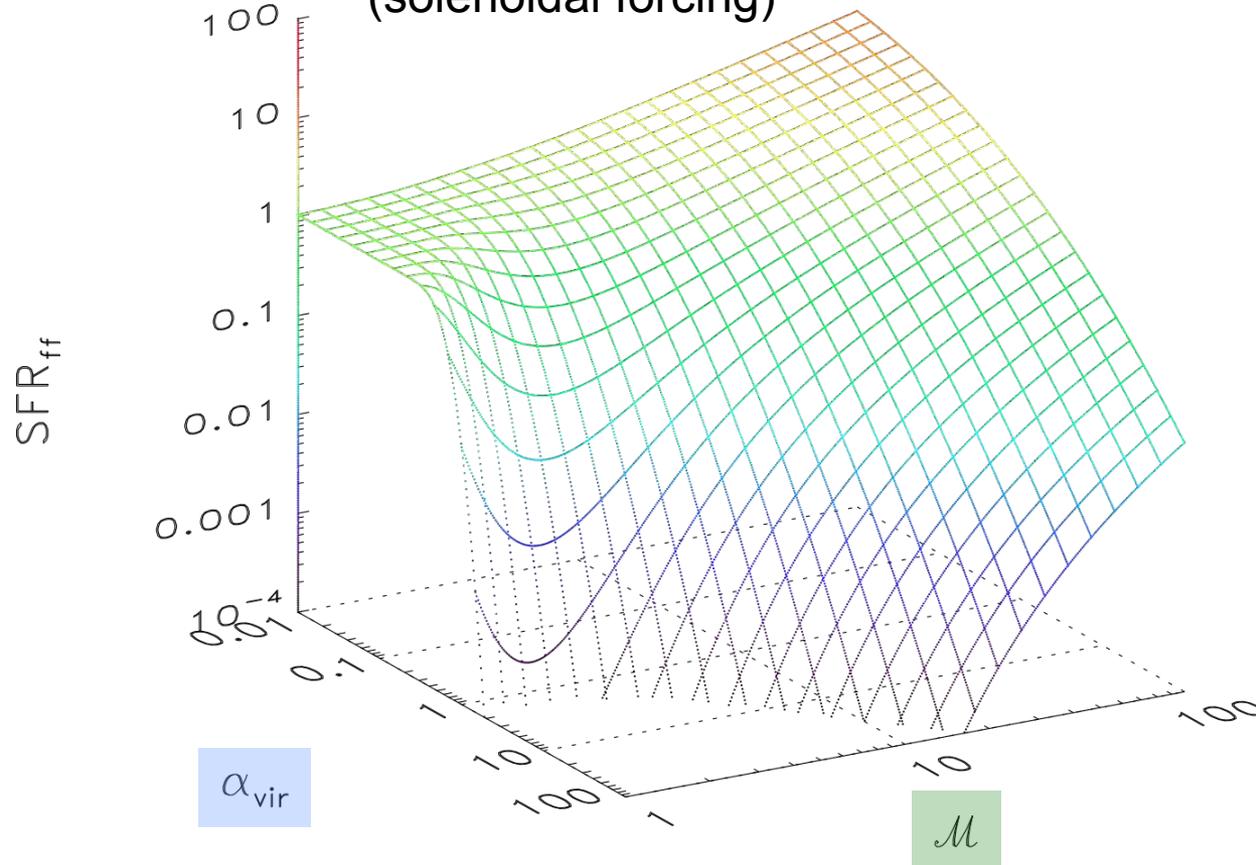
forcing

Mach number

forcing parameter ($b=0.33$)

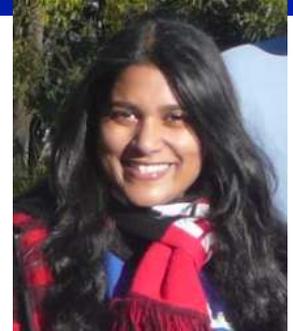
multi-freefall

(solenoidal forcing)



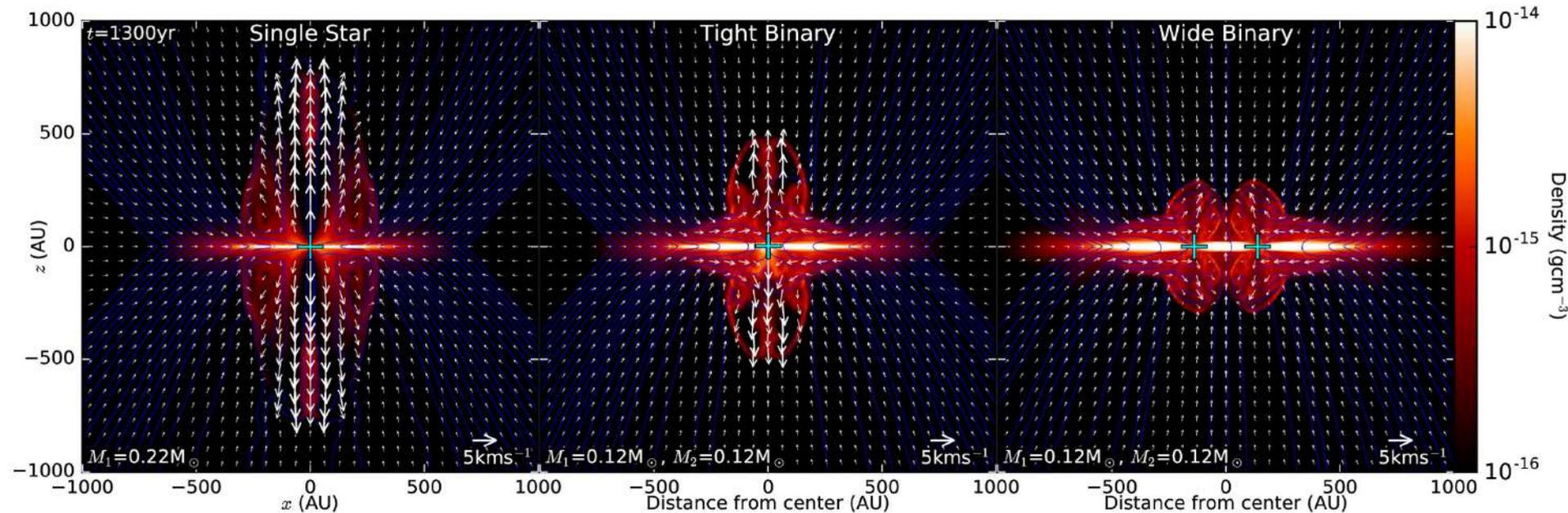
Jet Feedback in Binary Star Formation

Kuruwita, Federrath, Ireland (2017, MNRAS 470, 1626)



Movies available:

https://www.mso.anu.edu.au/~chfeder/pubs/binary_jets/binary_jets.html



Jet structure and power depend on binary separation → different star mass
→ Challenge for understanding and modelling the IMF!

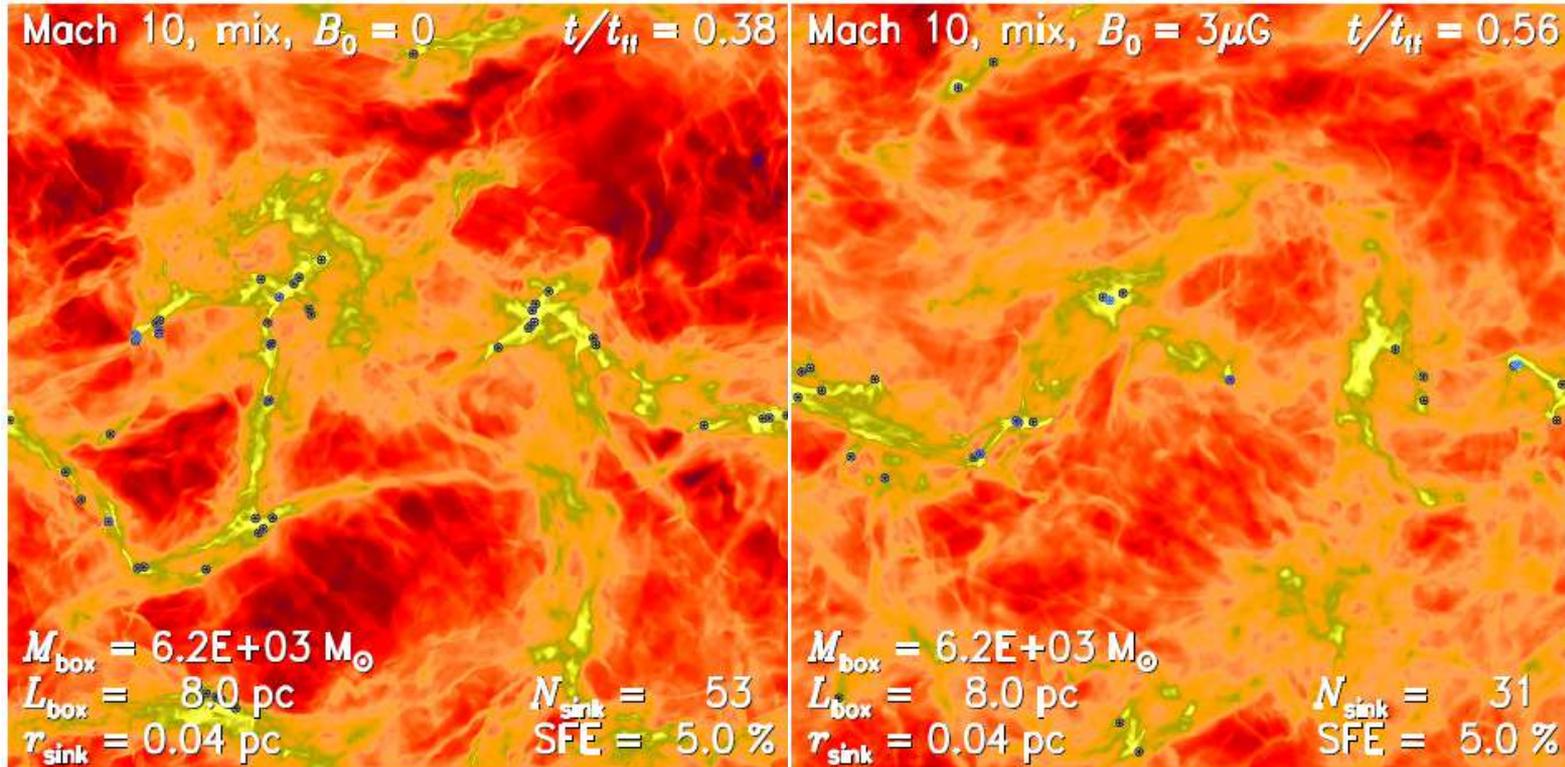
The Star Formation Rate – Magnetic fields

Numerical Test for Mach 10 with mixed forcing

Movies available: <http://www.mso.anu.edu.au/~chfeder/pubs/sfr/sfr.html>

$B=0$ ($M_A = \infty$, $\beta = \infty$)

$B=3\mu\text{G}$ ($M_A = 2.7$, $\beta = 0.2$)



SFR_{ff} (simulation) = **0.46** **x0.63**

SFR_{ff} (simulation) = **0.29**

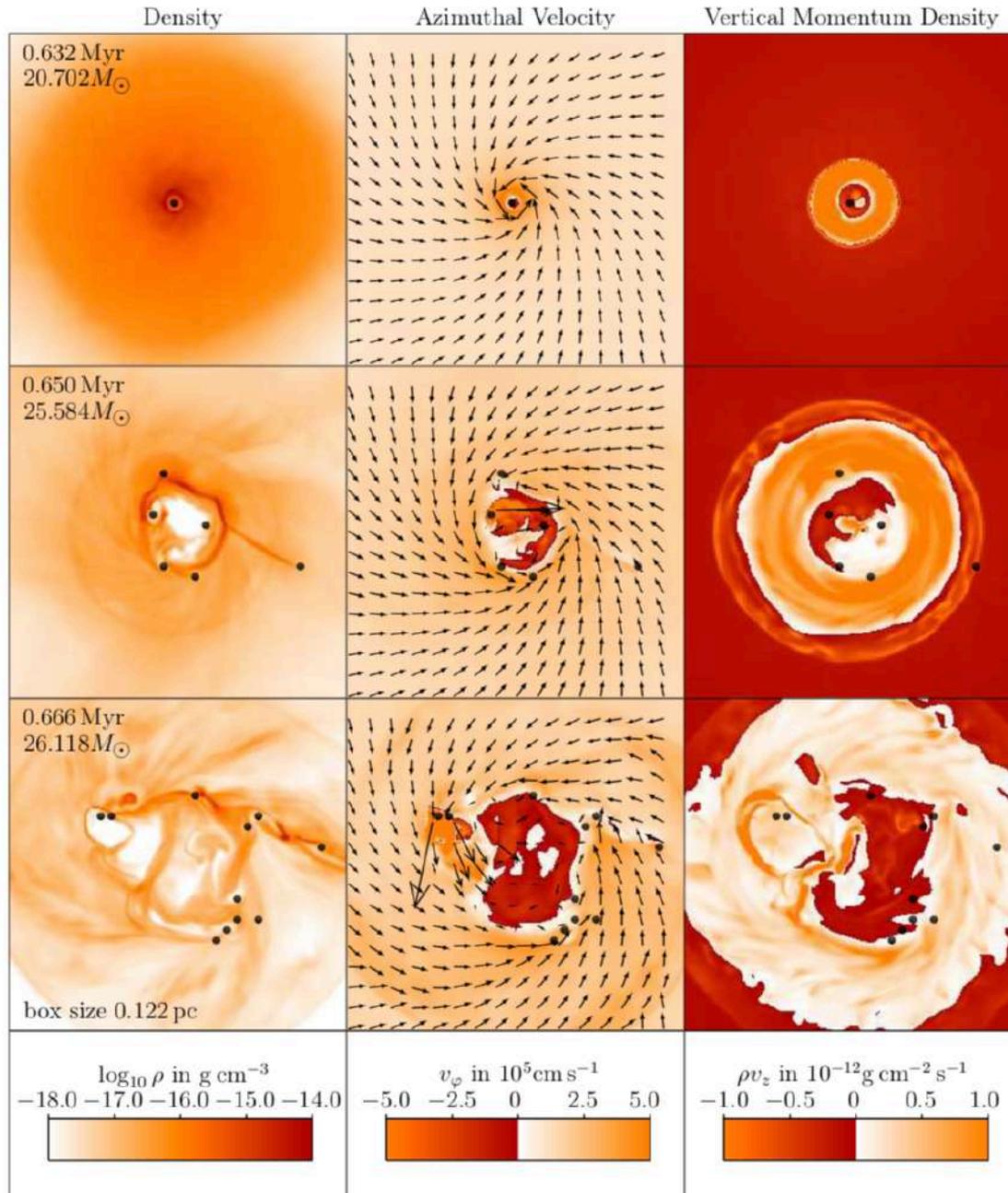
SFR_{ff} (theory) = **0.45** **x0.40**

SFR_{ff} (theory) = **0.18**

Magnetic field reduces SFR and fragmentation (by factor 2) → IMF, Massive Stars

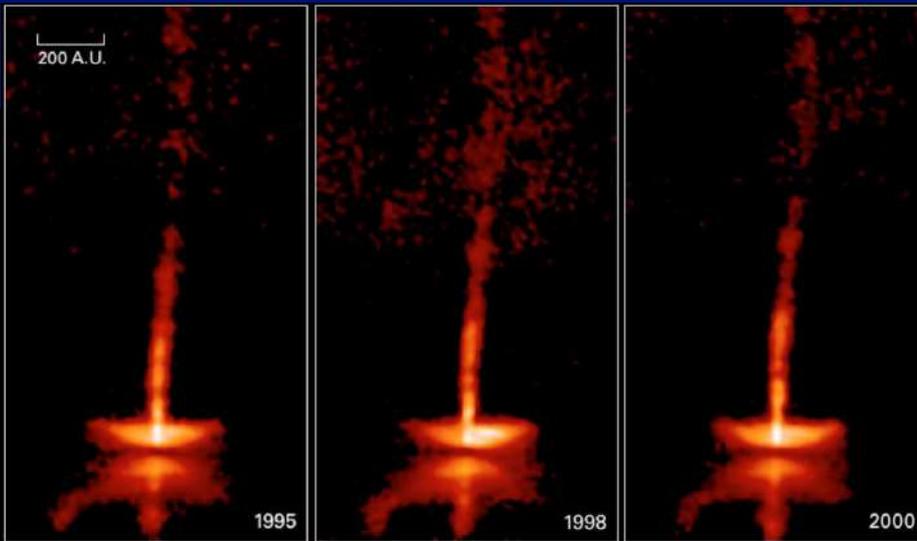
Padoan & Nordlund (2011); Padoan et al. (2012); Federrath & Klessen (2012)

Massive Star Formation – HII regions



Peters et al. (2010)

Jet/Outflow Feedback



The Dynamic HH 30 Disk and Jet

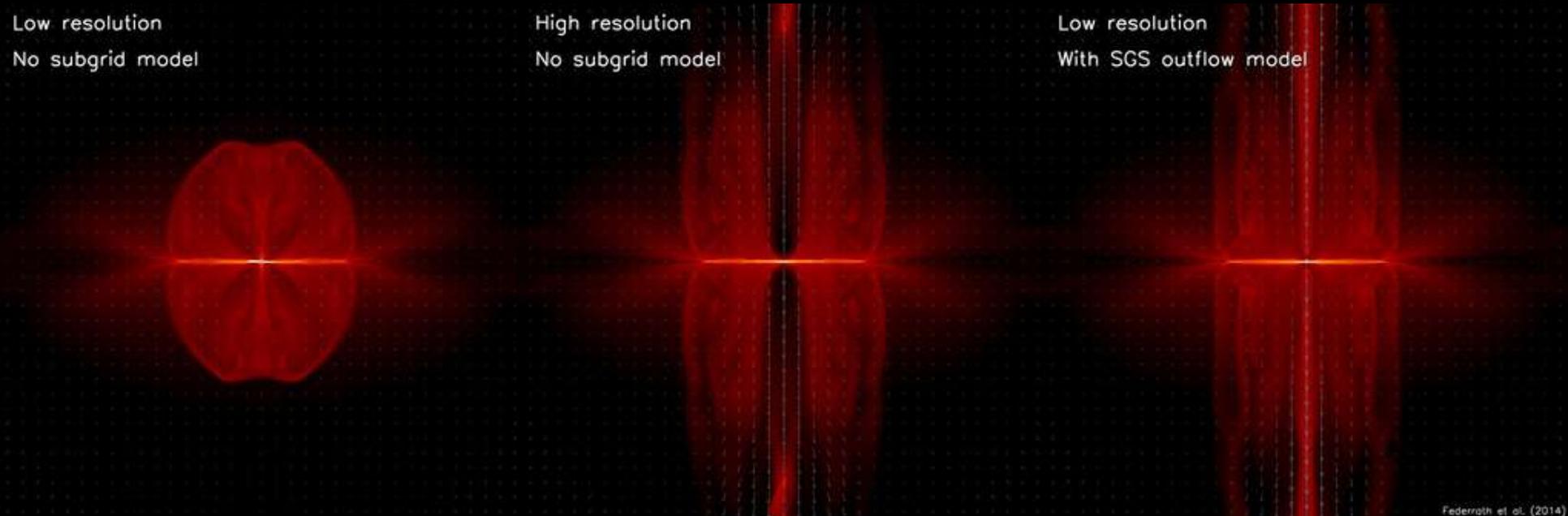
NASA and A. Watson (Instituto de Astronomía, UNAM, Mexico) • STScI-PRC00-32b

HST • WFPC2

Low resolution
No subgrid model

High resolution
No subgrid model

Low resolution
With SGS outflow model



Federrath et al. (2014)

Movies available: https://www.mso.anu.edu.au/~chfeder/pubs/outflow_model/outflow_model.html

Federrath et al. 2014, ApJ 790, 128

Primordial Star Formation

Christoph Federrath

Canberra – 09 May 2018

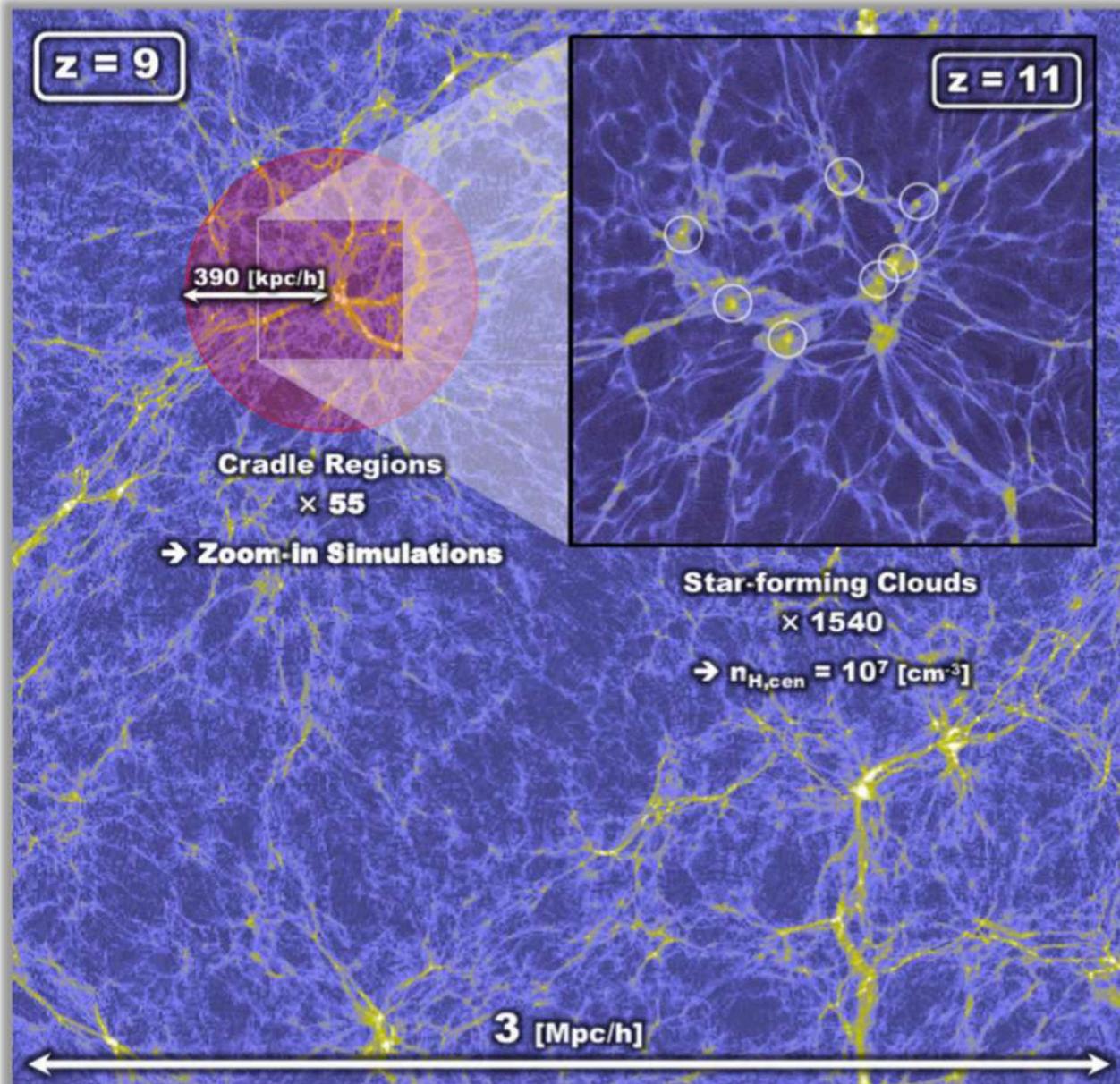


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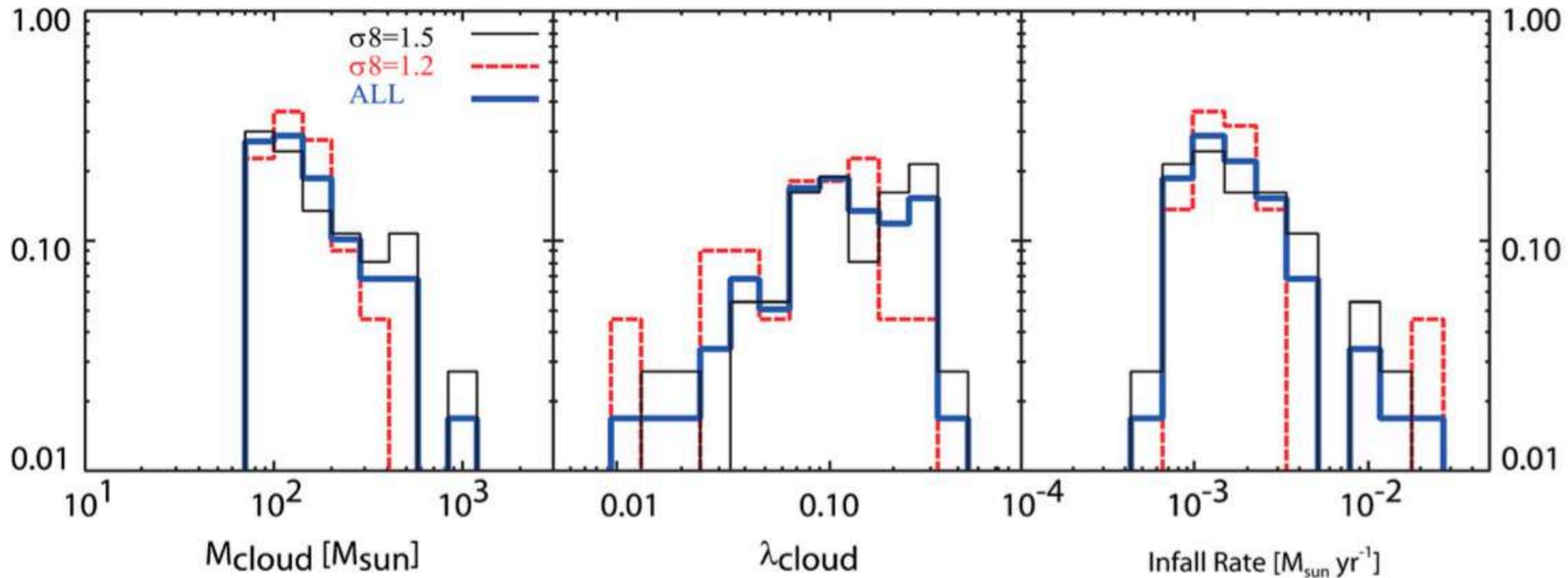
Formation of the First Stars in the Universe



mini haloes

Hirano et al. (2015)

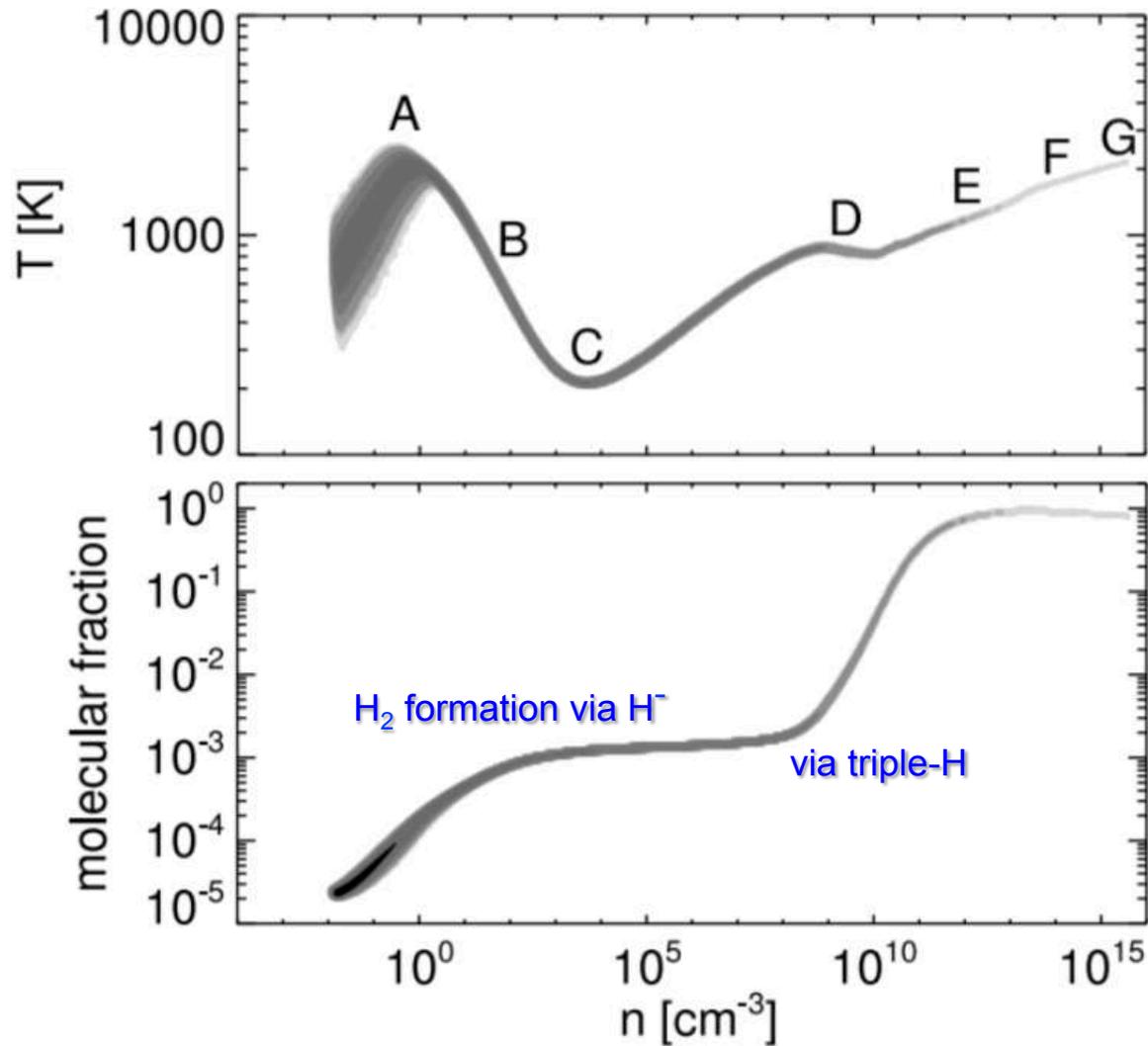
Physical Properties of Primordial Clouds



Similar to massive cores, but warmer (few hundred K)

Susa et al. (2014)

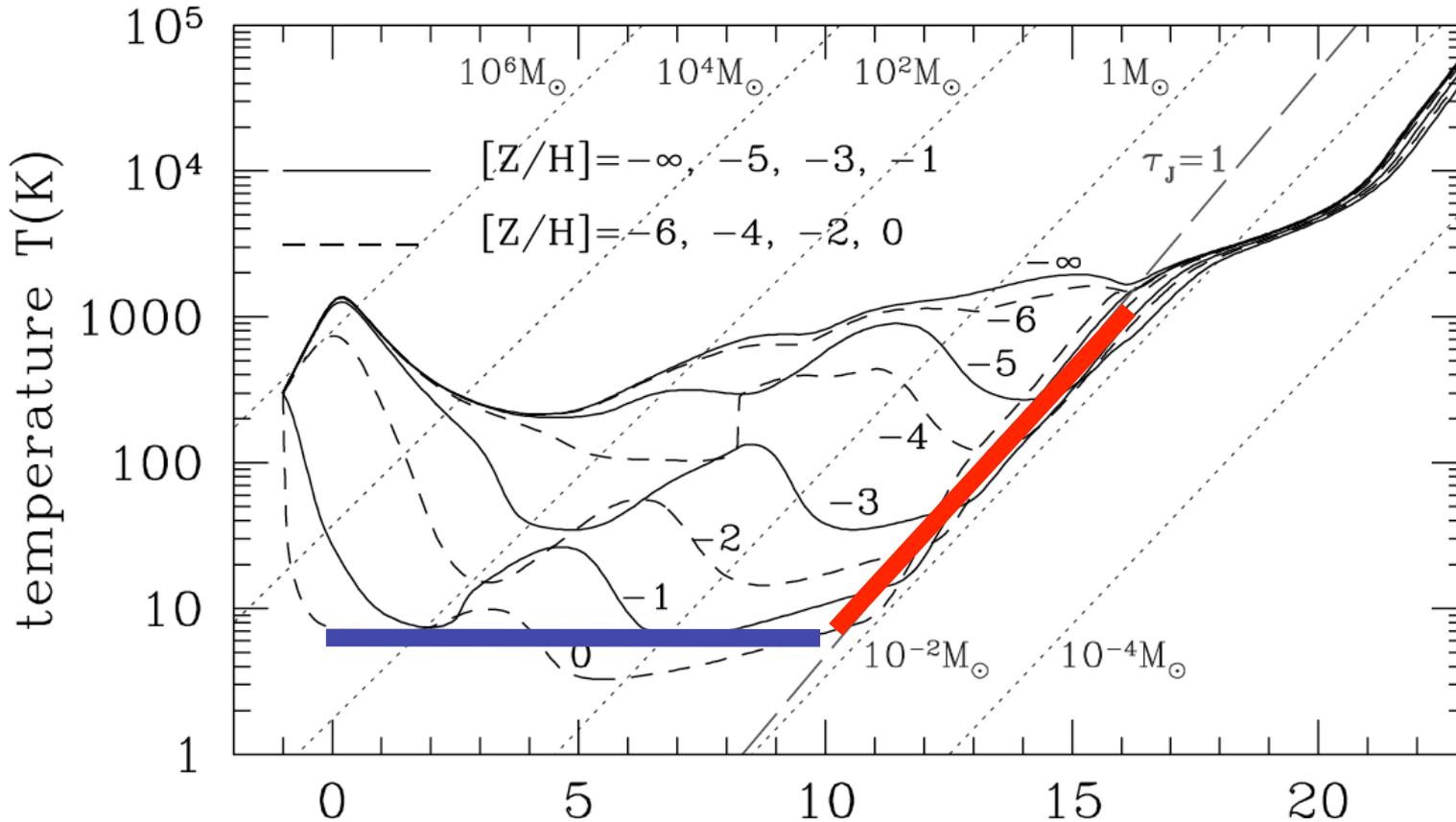
Star Formation – Chemistry / Heating / Cooling



Yoshida et al. (2006)

Star Formation – Chemistry / Heating / Cooling

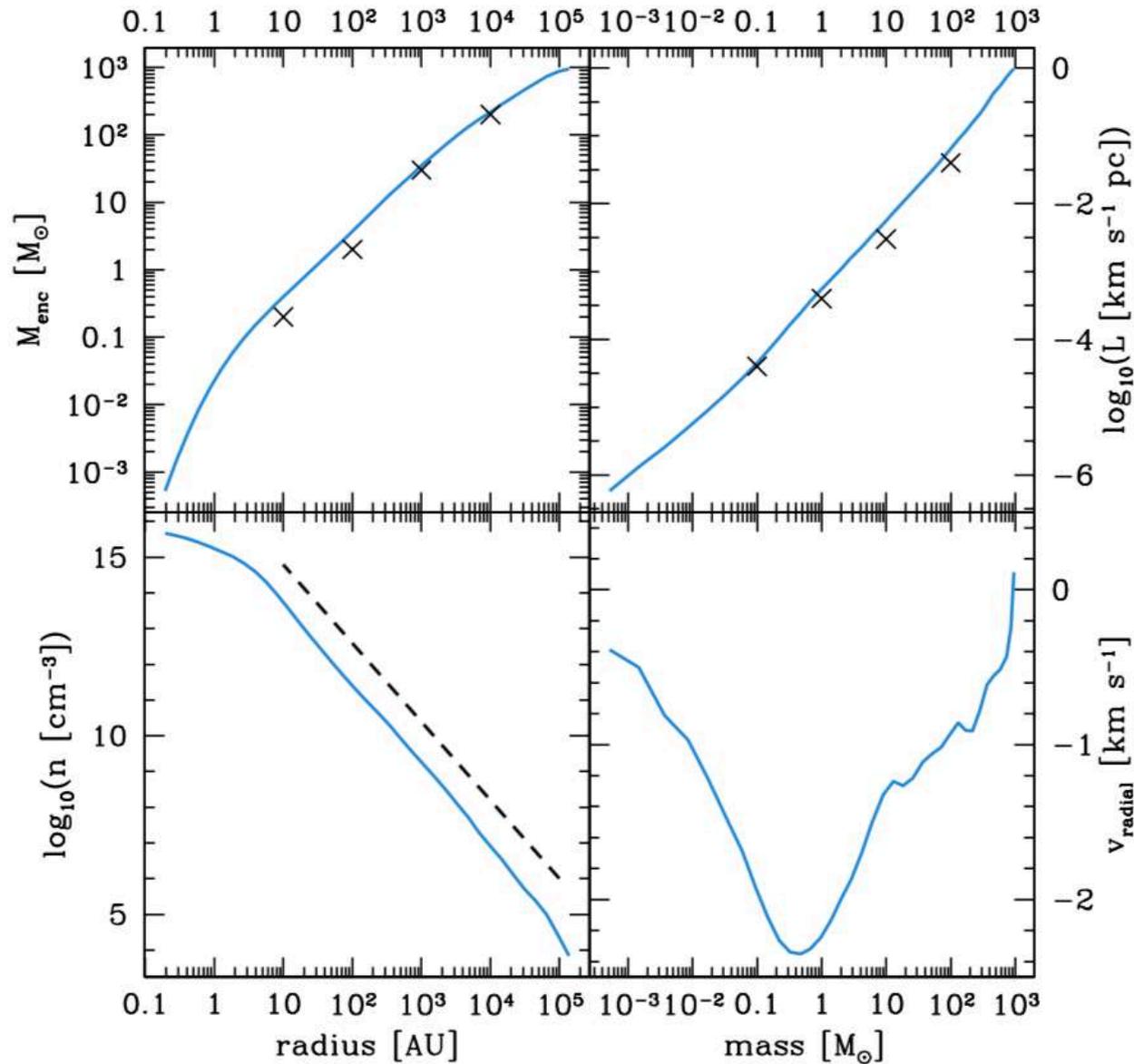
Chemistry / Heating / Cooling: (Glover+07,10, Micic+12, Clark+12)



number density $\log n_H$ (cm^{-3}) Omukai et al. (2005)

Molecule formation in high-density gas: $t_{\text{form}} \sim 1/n$ Micic et al. (2012),
Hollenbach et al. (1971)

Physical Properties of Primordial Clouds



Clark et al. (2011)

Formation of the First Stars: Fragmentation

Clark et al. 2011, Science

First star forms (t_{SF})

$t_{SF} + 27$ years

$t_{SF} + 62$ years



$t_{SF} + 91$ years

Formation of second star

$t_{SF} + 95$ years

Third star forms

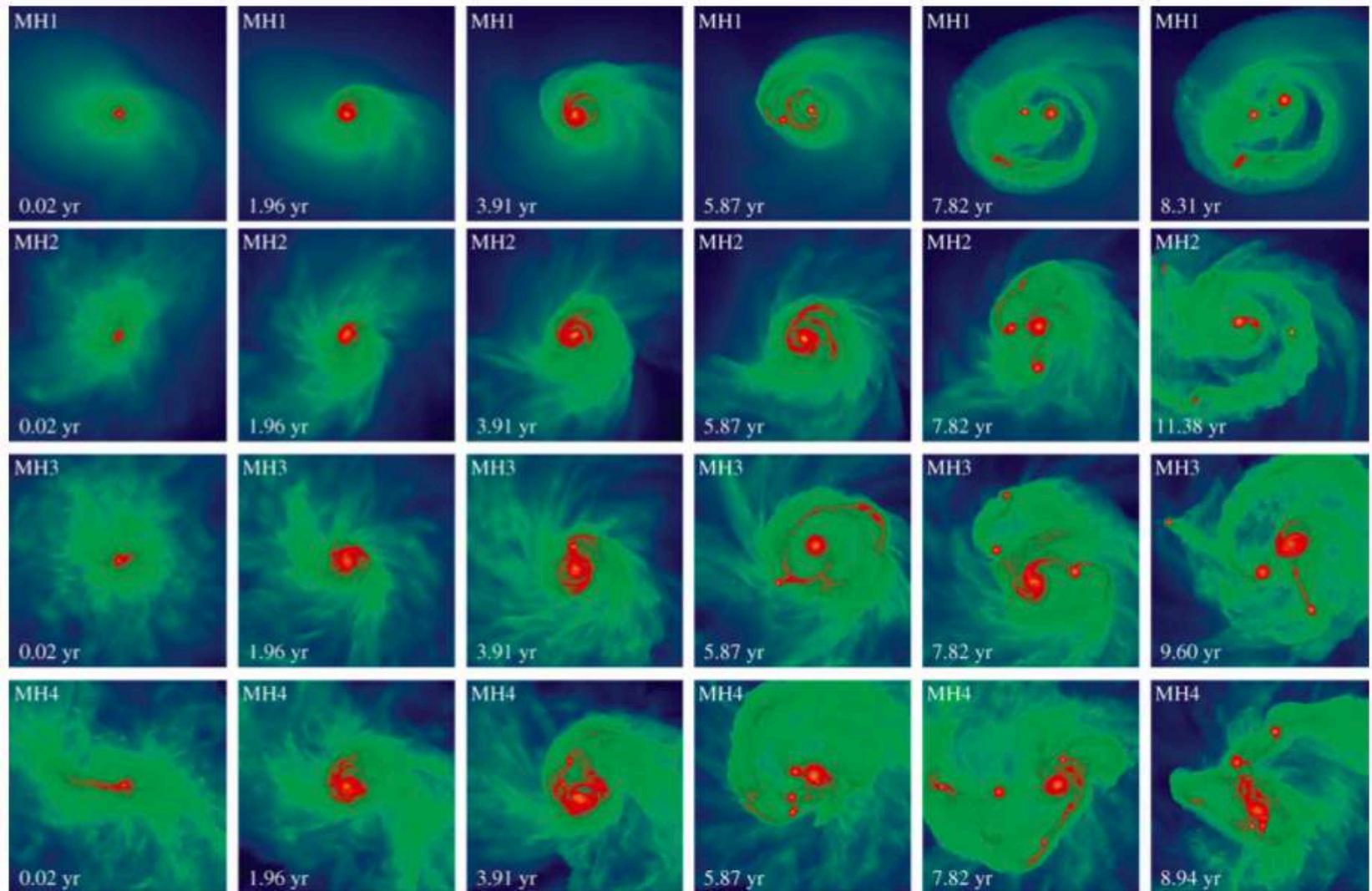
$t_{SF} + 110$ years

Fourth star forms

40 AU

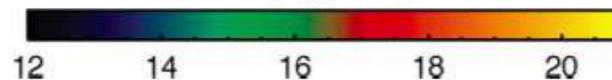
A horizontal double-headed arrow indicating a scale of 40 AU.

Formation of the First Stars: Fragmentation



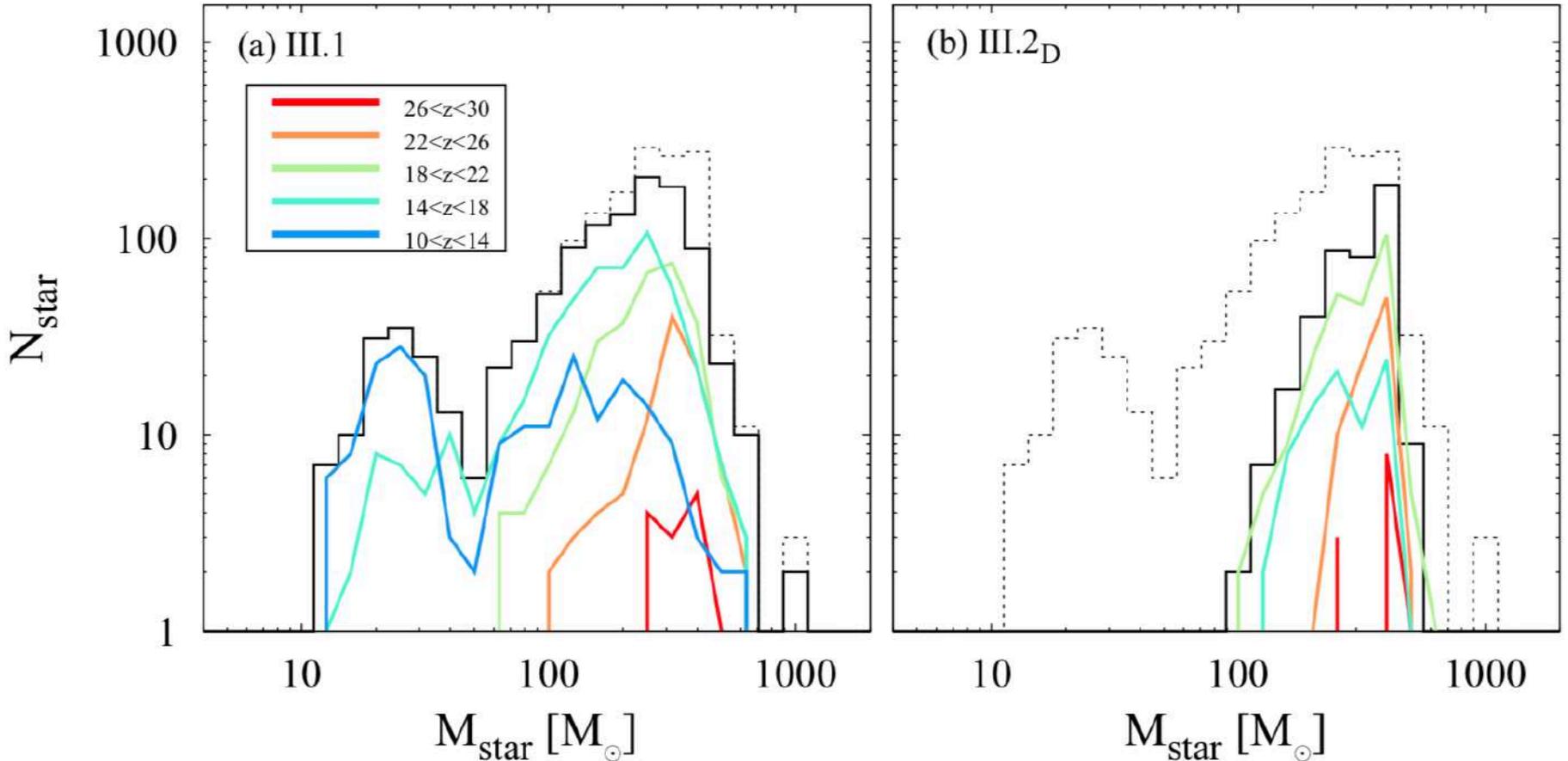
Side Length: 10 AU

$\log n_{\text{H}} [\text{cm}^{-3}]$



Formation of the First Stars: IMF

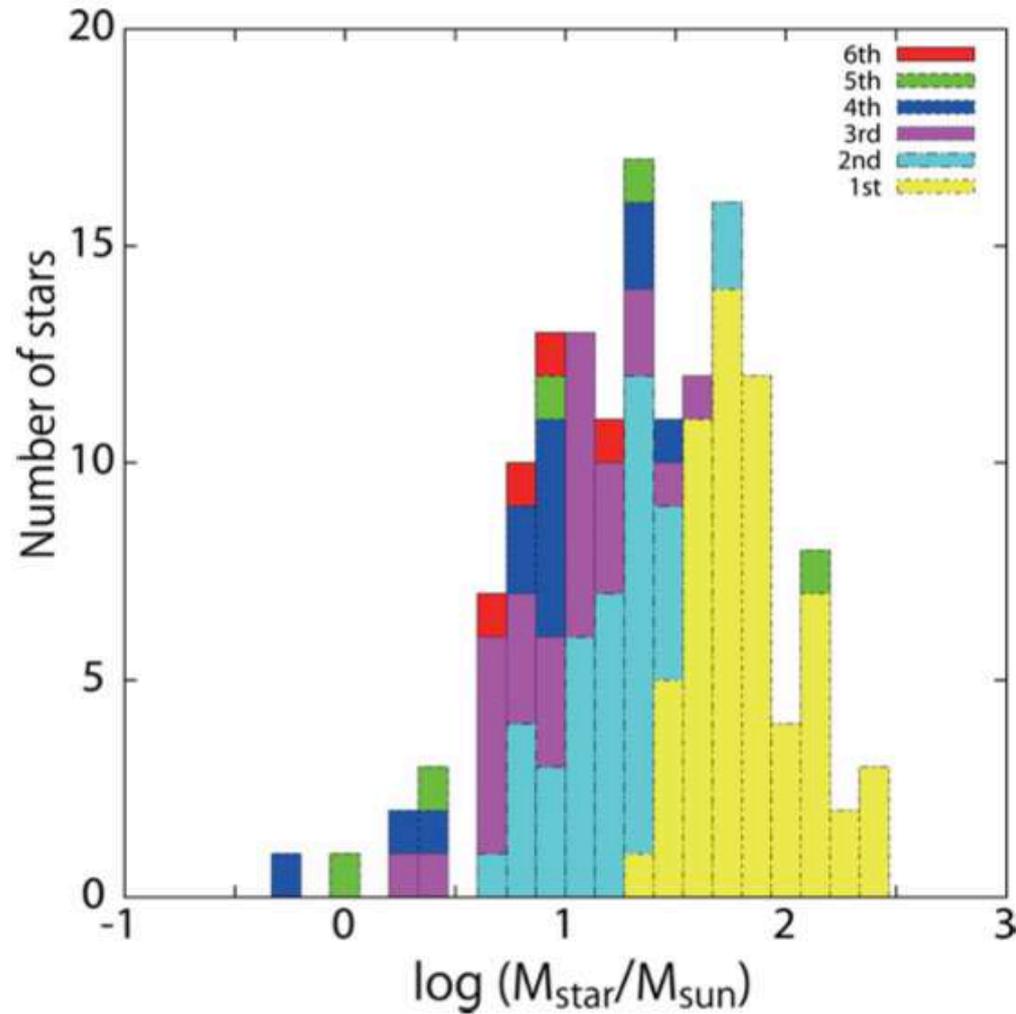
Primordial IMF from simulations so far...



Hirano et al. (2015)

Formation of the First Stars: IMF

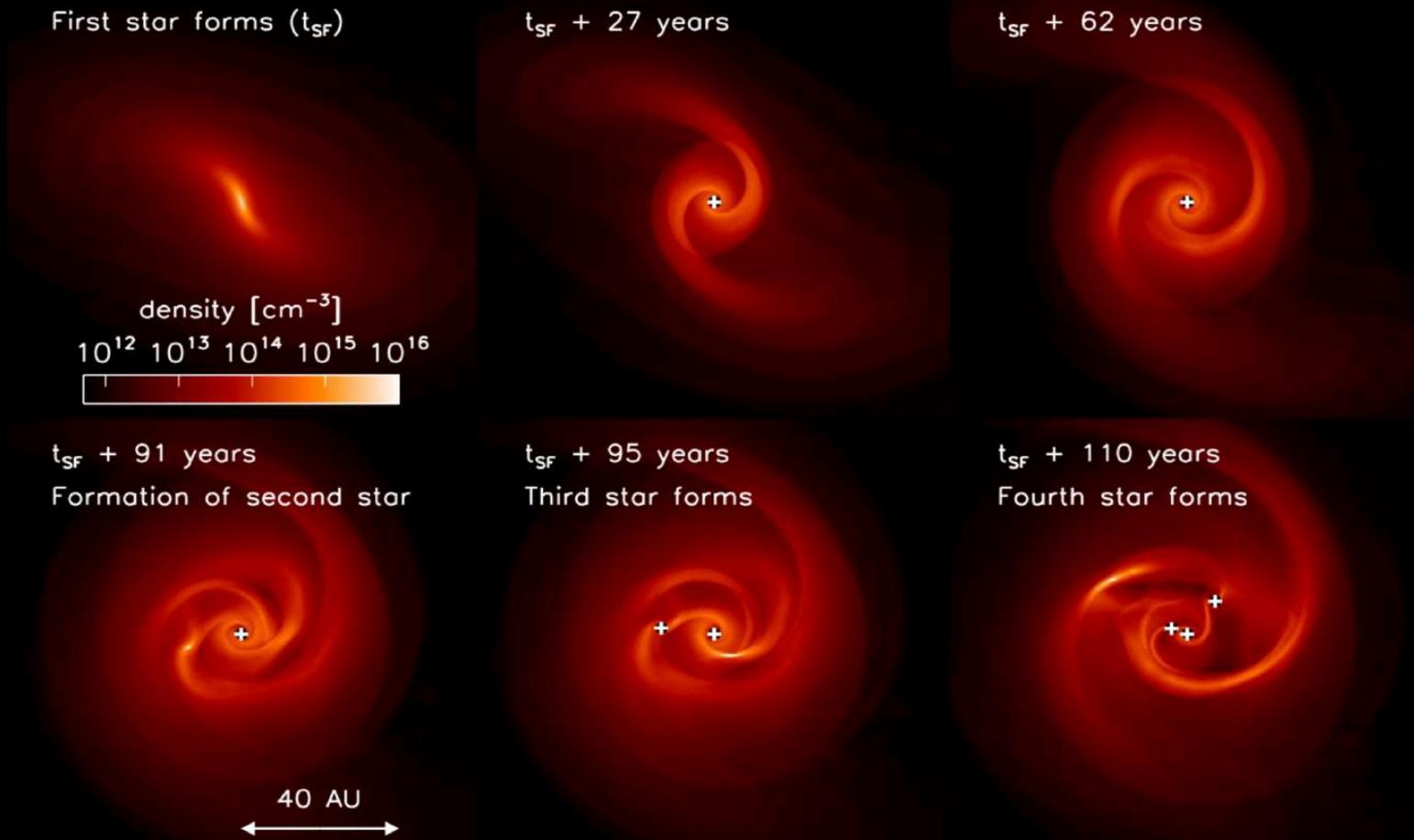
Primordial IMF from simulations so far...



Susa et al. (2014)

Formation of the First Stars in the Universe

Clark et al. 2011, Science



Important physics missing: **no magnetic fields, no jet feedback**

→ **Our simulation methods allow us to predict the IMF of the First Stars**

→ Indirect constraints on First Stars IMF: by e.g., **Norris et al. (2013)**

and near future observations with **LSST, JWST, GMT, E-ELT**

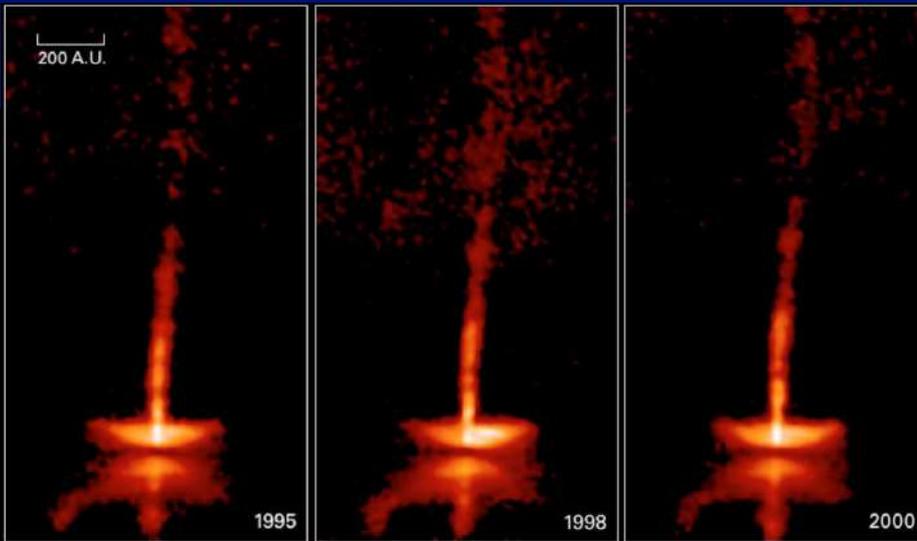
Dynamo-amplified Magnetic Fields

Movies available: http://www.mso.anu.edu.au/~chfeder/pubs/dynamo_grav/dynamo_grav.html



Federrath et al. (2011)

Jet/Outflow Feedback



The Dynamic HH 30 Disk and Jet

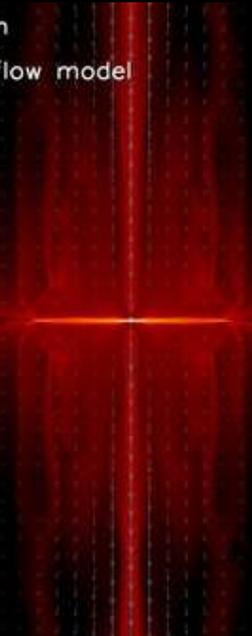
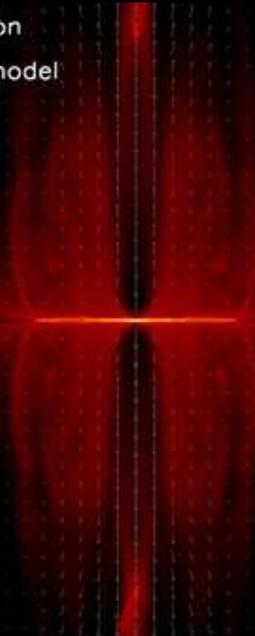
NASA and A. Watson (Instituto de Astronomía, UNAM, Mexico) • STScI-PRC00-32b

HST • WFPC2

Low resolution
No subgrid model

High resolution
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Low resolution
With SGS outflow model



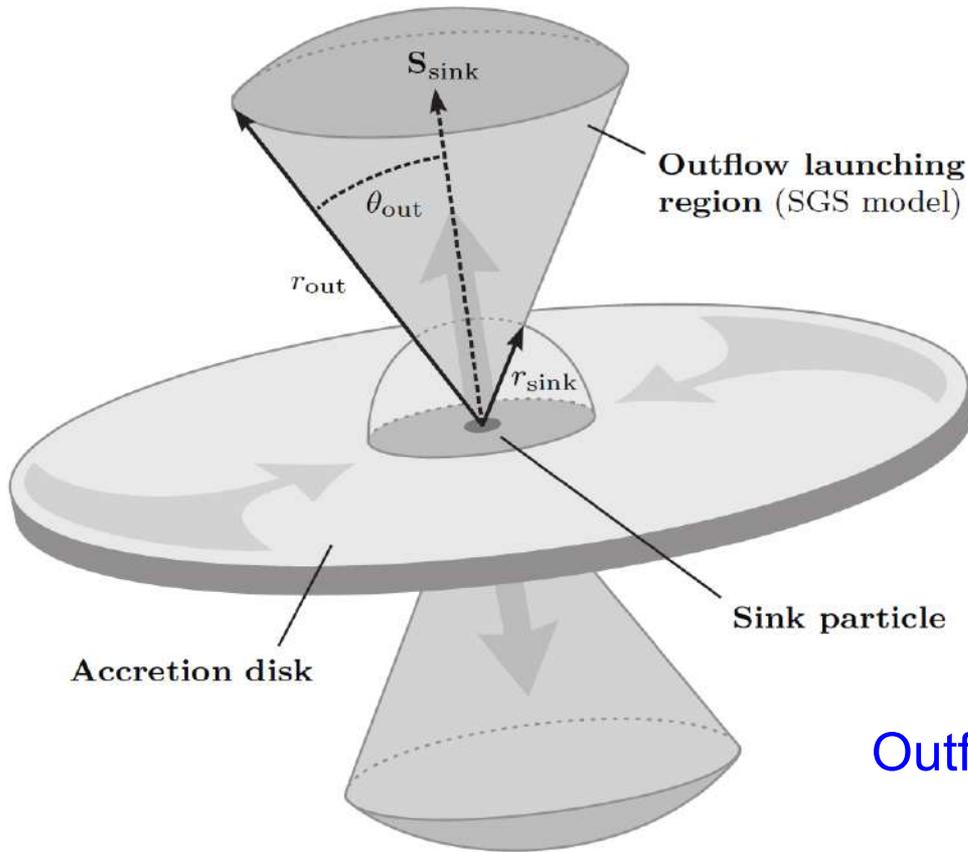
Federrath et al. (2014)

Movies available: https://www.mso.anu.edu.au/~chfeder/pubs/outflow_model/outflow_model.html

Federrath et al. 2014, ApJ 790, 128

Jet Feedback Subgrid Model

Federrath et al. 2014, ApJ 790, 128



List of SGS outflow parameters.

| SGS Parameter | Symbol | Default | Reference |
|--------------------------------------|-----------------------------|-------------------------|-----------|
| Outflow Opening Angle | θ_{out} | 30° | [1] |
| Mass Transfer Fraction | f_m | 0.3 | [2] |
| Jet Speed Normalization ^a | $ \mathbf{V}_{\text{out}} $ | 100 km s^{-1} | [3] |
| Angular Momentum Fraction | f_a | 0.9 | [4] |
| Outflow Radius | r_{out} | $16 \Delta x$ | Section 4 |

Notes. ^a The outflow velocities are dynamically computed according to the Kepler speed at the footpoint of the jet, $|\mathbf{V}_{\text{out}}| = 100 \text{ km s}^{-1} (M_{\text{sink}}/0.5 M_\odot)^{1/2}$ (see Equation 13).
References: [1] Blandford & Payne (1982); Appenzeller & Mundt (1989); Camenzind (1990); [2] Hartmann & Calvet (1995); Calvet (1998); Tomisaka (1998); Bacciotti et al. (2002); Tomisaka (2002); Lee et al. (2006); Cabrit et al. (2007); Lee et al. (2007); Hennebelle & Fromang (2008); Duffin & Pudritz (2009); Bacciotti et al. (2011); Price et al. (2012); Seifried et al. (2012); [3] Herbig (1962); Snell et al. (1980); Blandford & Payne (1982); Draine (1983); Uchida & Shibata (1985); Shibata & Uchida (1985, 1986); Pudritz & Norman (1986); Wardle & Königl (1993); Bacciotti et al. (2000); Königl & Pudritz (2000); Bacciotti et al. (2002); Banerjee & Pudritz (2006); Machida et al. (2008); [4] Pelletier & Pudritz (1992); Bacciotti et al. (2002); Banerjee & Pudritz (2006); Hennebelle & Fromang (2008).

Outflow mass:
$$M_{\text{out}} = f_m \dot{M}_{\text{acc}} \Delta t$$

Outflow velocity:
$$|\mathbf{V}_{\text{out}}| = \left(\frac{GM_{\text{sink}}}{10 R_\odot} \right)^{1/2} = 100 \text{ km s}^{-1} \left(\frac{M_{\text{sink}}}{0.5 M_\odot} \right)^{1/2}$$

Outflow angular momentum:
$$\mathbf{L}_{\text{out}} = f_a (\mathbf{S}'_{\text{sink}} - \mathbf{S}_{\text{sink}}) \cdot \mathbf{S}'_{\text{sink}} / |\mathbf{S}'_{\text{sink}}|$$

Outflow/Jet Feedback

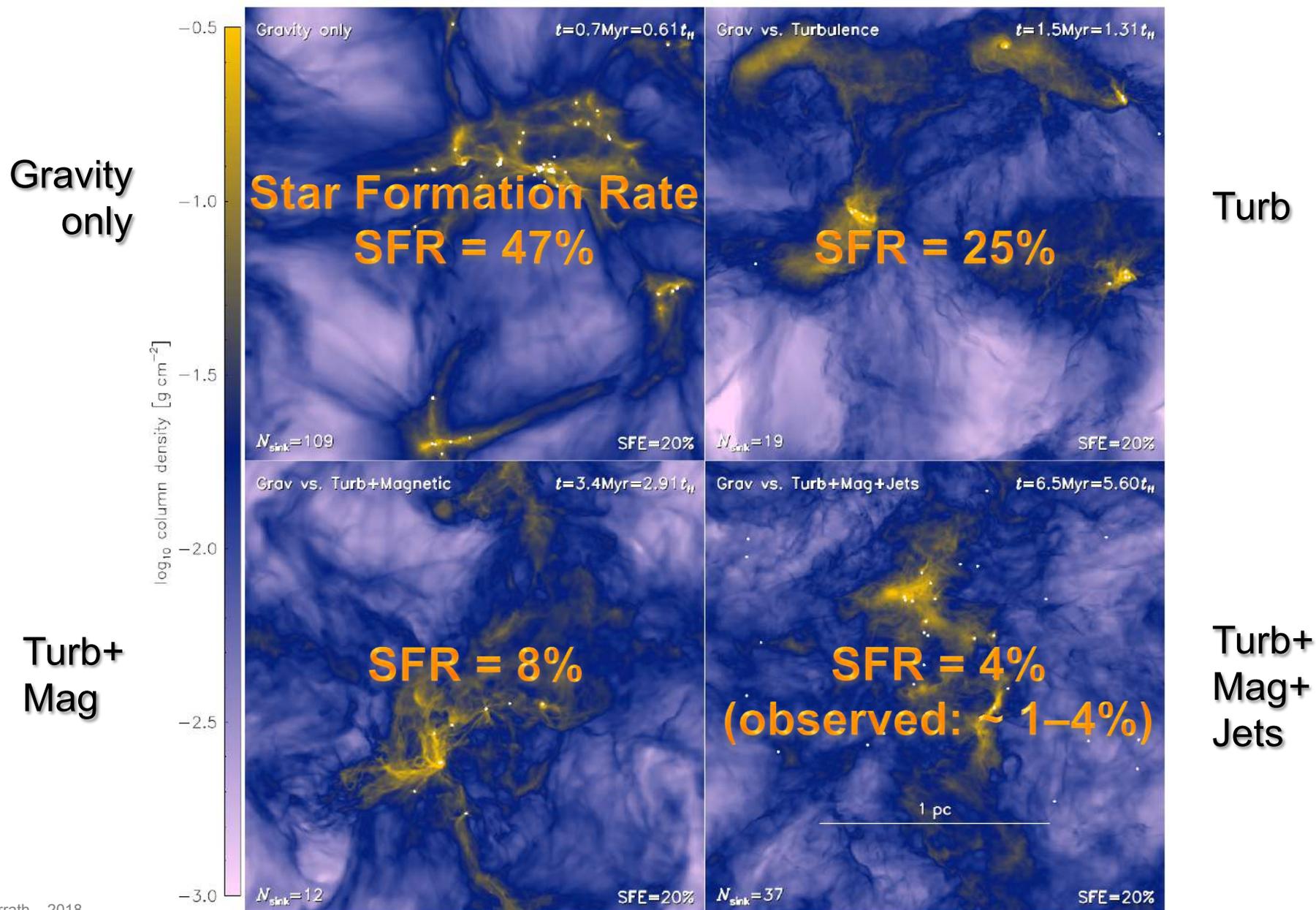
NGC1333

Image credit: Gutermuth & Porras



Star Formation is Inefficient (Federrath 2015, MNRAS 450, 4035)

Movies available: http://www.mso.anu.edu.au/~chfeder/pubs/ineff_sf/ineff_sf.html



The role of outflow/jet feedback

Movies available: https://www.mso.anu.edu.au/~chfeder/pubs/outflow_model/outflow_model.html

No outflows

With outflows

$t/t_{\text{ff}} = 1.50$



$N_{\text{sink}} = 23$

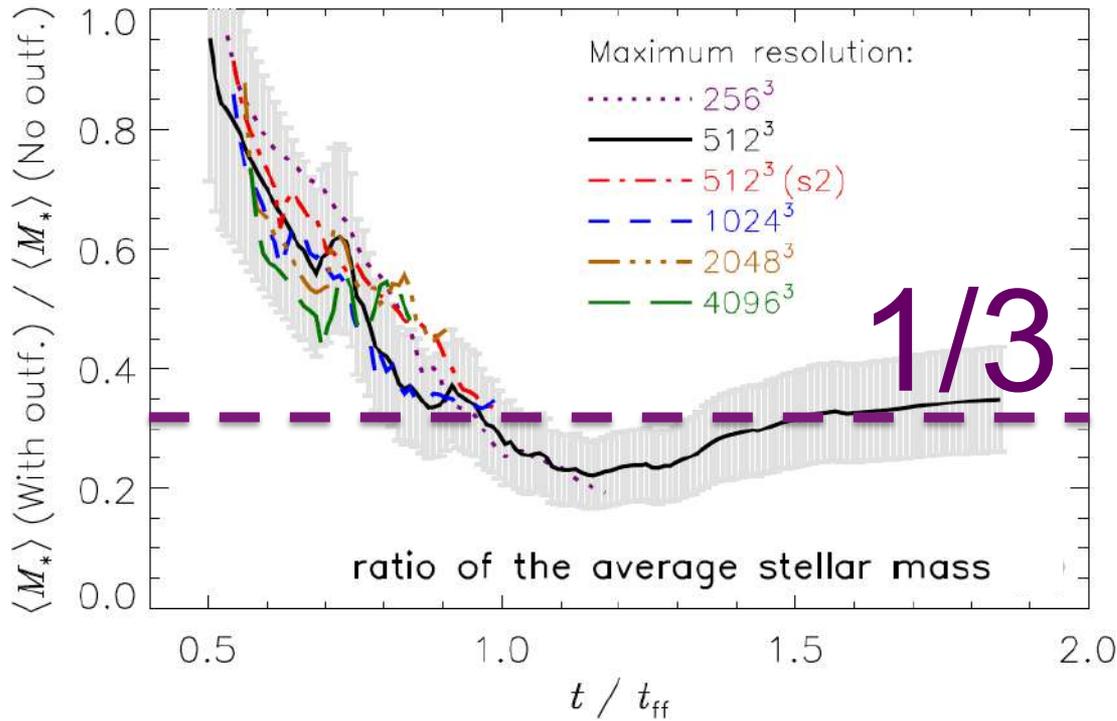
SFE = 87.6%

$N_{\text{sink}} = 49$

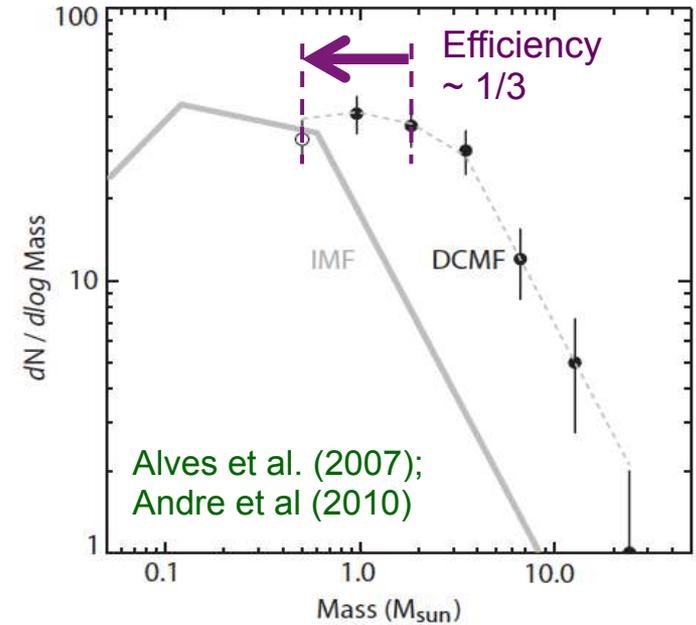
SFE = 59.0%

Federrath et al. 2014, ApJ 790, 128

Implications for the stellar initial mass function (IMF)



Federrath et al. 2014, ApJ 790, 128



Outflow/Jet feedback reduces average star mass by factor $\sim 3 \rightarrow$ IMF!